## Questions

Q1.

Megan grows potatoes.
The box plot below shows information about the weights of Megan's potatoes.


Megan says that half of her potatoes weigh less than 50 grams each.
(a) Is Megan correct?

Give a reason for your answer.
$\qquad$
$\qquad$
$\qquad$

Amy also grows potatoes.
The box plot below shows information about the weights of Amy's potatoes.

(b) Compare the distribution of the weights of Megan's potatoes with the distribution of the weights of Amy's potatoes.
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$\qquad$
$\qquad$
$\qquad$
$\qquad$

Q2.
Aisha recorded the heights, in centimetres, of some girls.
She used her results to work out the information in this table.

| Least height | 142 cm |
| :--- | :---: |
| Lower quartile | 154 cm |
| Interquartile range | 17 cm |
| Median | 162 cm |
| Range | 40 cm |

Aisha drew this box plot for the information in the table.
The box plot is not fully correct.


Write down the two things Aisha should do to make the box plot fully correct.

1 $\qquad$
$\qquad$
$\qquad$
2 $\qquad$
$\qquad$
$\qquad$

Q3.
The times that 48 trains left a station on Monday were recorded.
The cumulative frequency graph gives information about the numbers of minutes the trains were delayed, correct to the nearest minute.


The shortest delay was 0 minutes.
The longest delay was 42 minutes.
(a) On the grid below, draw a box plot for the information about the delays on Monday.


48 trains left the station on Tuesday.
The box plot below gives information about the delays on Tuesday.

(b) Compare the distribution of the delays on Monday with the distribution of the delays on Tuesday.
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$\qquad$
$\qquad$
$\qquad$

## Mary says,

"The longest delay on Tuesday was 33 minutes.
This means that there must be some delays of between 25 minutes and 30 minutes."
(c) Is Mary right?

You must give a reason for your answer.
$\qquad$
$\qquad$

Q4.
The box plot shows information about the length of time, in minutes, some people waited to see a doctor at a hospital on Monday.

(a) Work out the interquartile range of the information in the box plot.

Becky says,
" $50 \%$ of the people waited for at least 2 hours."
(b) Is Becky correct?

Explain why.
$\qquad$
$\qquad$
$\qquad$

The table gives information about the length of time, in minutes, some people waited to see a doctor at the same hospital on Tuesday.

|  | Waiting time (minutes) |
| :--- | :---: |
| Shortest time | 20 |
| Lower quartile | 50 |
| Median | 100 |
| Upper quartile | 140 |
| Longest time | 210 |

Becky was asked to compare the distribution of the lengths of times people waited on Monday with the distribution of the lengths of times people waited on Tuesday.

She wrote,
"People had to wait longer on Tuesday than on Monday."
(c) Give one reason why Becky may be wrong.
$\qquad$
$\qquad$
$\qquad$

Q5.
*Some students were asked how many times they each used their mobile phones last week.
The box plots give information about the male students' answers and about the female students' answers.


Compare the two distributions represented by the box plots.
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$\qquad$
$\qquad$
$\qquad$

Q6.
Presta recorded the number of lemons on each of 60 lemon trees.
The incomplete table and box plot give information about her results.

|  | Number of lemons |
| :--- | :---: |
| Smallest number |  |
| Lower quartile | 8 |
| Median | 11 |
| Upper quartile |  |
| Greatest number | 22 |


(a) (i) Use the information in the table to complete the box plot.
(ii) Use the information in the box plot to complete the table.

Some of these 60 lemon trees have 8 or more lemons on them.
(b) Find an estimate for the number of lemon trees with 8 or more lemons on them.
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Q7.

The table below shows information about the times, in minutes, a group of students took to answer 10 maths questions.

|  | Least | Lower <br> quartile | Median | Upper <br> quartile | Greatest |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Time in <br> minutes | 14 | 18 | 20 | 25 | 30 |

On the grid below, draw a box plot to show the information in the table.

(Total for Question is 3 marks)
Q8.
The table gives some information about the heights of 80 girls.

| Least height | 133 cm |
| :--- | :--- |
| Greatest height | 170 cm |
| Lower quartile | 145 cm |
| Upper quartile | 157 cm |
| Median | 151 cm |

(a) Draw a box plot to represent this information.

(b) Work out an estimate for the number of these girls with a height between 133 cm and 157 cm .
$\qquad$

Q9.
The table gives information about the weights of 60 parcels.

| Lowest | 1.5 kg |
| :--- | :---: |
| Highest | 6.3 kg |
| Lower quartile | 2.7 kg |
| Interquartile range | 1.7 kg |
| Median | 3.2 kg |

Draw a box plot for this information.

(Total for question = 3 marks)

Q10.
Here are the ages, in years, of 15 women at West Ribble Tennis Club.
16,
18, 18
20,
25,
25,
27,
28,
30,
35,38 ,
42,
45,
46,
50
(a) On the grid, draw a box plot for this information.


The box plot below shows the distribution of the ages of the men at West Ribble Tennis Club.

*(b) Use the box plots to compare the distributions of the ages of these women and the distributions of the ages of these men.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$

## Q11.

Some girls did a sponsored swim to raise money for charity.
The table shows information about the amounts of money ( $£$ ) the girls raised.

| Least amount of money $(£)$ | 10 |
| :--- | :--- |
| Greatest amount of money $(£)$ | 45 |
| Median | 25 |
| Lower quartile | 16 |
| Upper quartile | 42 |

(a) On the grid, draw a box plot for the information in the table.


Some boys also did the sponsored swim.
The box plot shows information about the amounts of money ( $£$ ) the boys raised.

(b) Compare the amounts of money the girls raised with the amounts of money the boys raised.
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$\qquad$
$\qquad$
$\qquad$

Q12.

Here are the times, in seconds, that 15 people waited to be served at Rose's garden centre.

| 5 | 9 | 11 | 14 | 15 | 20 | 22 | 25 | 27 | 27 | 20 | 22 | 25 | 27 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |

(a) On the grid, draw a box plot for this information.


The box plot below shows the distribution of the times that people waited to be served at Green's garden centre.

(b) Compare the distribution of the times that people waited at Rose's garden centre and the distribution of the times that people waited at Green's garden centre.

Q13.
The table gives some information about the weights of 60 babies.

| Lowest |  |
| :--- | :--- |
| Highest | 6.0 kg |
| Lower quartile | 2.8 kg |
| Upper quartile | 4.2 kg |
| Median | 3.0 kg |

(a) Draw a box plot to show this information.

(2)

There are 60 babies.
(b) Work out an estimate for the number of these babies with a weight greater than 2.8 kg .

## Examiner's Report

Q1.
Students need to be made aware that just using the term "average" within the context of statistics is not enough; throughout correct statistical terms were needed such as "median" or "IQR". Equally if figures were used, they had to be correct.
In part (a) those that recognised "half of" was associated with the median generally got the mark. Many responses quoted incorrect values or identified the incorrect parts of the box plot and a common misconception was that the box plot represented frequencies, so they would identify a "total" for the number of potatoes and then use it to try and find where the middle value was.
In part (b) a number of students did not understand what was being asked for or had not realised they needed to compare the median and (interquartile) range. Common was listing the values of each without a comparison or making an arithmetic error in calculation. Students often selected the wrong vocabulary, using mean instead of median and distribution or spread instead of the range. The IQR and range were often transposed. Students need to be reminded that they need to put their responses like this in context.

## Q2.

It was really pleasing to see so many good responses to this question. Most were able to recognise both errors, but almost all finding at least one. Here the two errors were in the plotting of the median and the upper quartile. To gain the marks it was not sufficient to simply state they were plotted wrong, but students had to explicitly quote figures relating to the error.

## Q3.

In part (a), the most common error from those students who understood anything about cumulative frequency graphs was to consider $\frac{1}{4}, \frac{1}{2}$ and $\frac{3}{4}$ of 50 instead of 48 resulting in an inaccurate box; the whiskers were usually correct gaining one mark. Many responses were seen where the whiskers were correct, but no box was drawn.

In part (b), far too many students simply compared specific values. Students need to know that, at this level, comparisons must be made of spread and central tendencies within the context of the question. Students found it difficult to interpret the data often confusing it with the number of trains delayed as opposed to delay time in minutes. Referring to delay time was necessary to put their comparisons into context.

Answers to part (c) clearly showed that very few students fully understand the dynamics of cumulative frequency diagrams. Rarely was any reference made to the parts of the diagram between 17 and 25 and 30 and 33. This is an area where centres could concentrate on when delivering this topic.

## Q4.

Part (a) was not well answered with students showing they either didn't understand a very standard higher tier topic or that they couldn't accurately read the scale on an axis. It was the former that was most common, but many didn't know the difference between range and interquartile range, or simply had no idea. Of those who did know, many were unable to read the upper quartile from the diagram.

Part (b) proved a challenge for many. The mark was for understanding the proportional representation of a box plot and that $50 \%$ of waiting times will be up to the median. Part (c) was answered better with the most common response relating the median wait time being higher on Monday than Tuesday. Reference to measures of spread were not able to gain credit in part (c), and this was costly for some.

## Q5.

It was encouraging to see that the majority of students were able to score at least one mark on this question, generally for stating that the male and female students had the same median.

However many used the word "medium" instead of "median" which scored no marks. Some of these students then went on to say that the females had a higher range or interquartile range than the males and a few students were able to put either of their statements into context. Unfortunately many quoted incorrect values for the range or IQR which meant they could not access the mark for this comparison. Students struggled to write a comparison in context which meant three marks on this question was
seldom scored. Many students just quoted facts without any comparison, e.g. "The IQR for females is 42 and the IQR for males is 31 ". This sort of statement could not score any marks without a comparison being made. When trying to compare range and IQR in context the majority of students who attempted this interpreted a wider range/IQR to mean that females used their phones more rather than identifying less consistent results.

## Q6.

The scale of the box plot was simple, yet too many candidates mis-read values when either drawing the box plot, or completing the table. Part (b) was not well understood, as evidenced by estimates, guesses, and proportional calculations involving 8 and 60 . Candidates need to be reminded that box plots effectively divide the distribution of the data into four parts.
Q7.
Many candidates knew what a box plot (box and whisker diagram) should look like and indeed knew how the plot related to the five given values. However, very many candidates lost marks through inaccurate drawing. The three upper values caused few problems as they were multiples of 5 and so were plotted above the corresponding values on the time axes. But very many candidates plotted the 18 at 19 , not taking note of the scale. Similar poor plotting happened with the lowest value of 14, which was often plotted at 12 .
Q8.
Part (a) was a straightforward question for the vast majority of students who knew how to draw a box plot. Some students lost one mark for an error in plotting one of the five values.
In part (b), fewer students than might have been expected realised that $3 / 4$ of the girls have a height between 133 cm and 157 cm . Those who did were almost always able to work out $3 / 4$ of 80 and score 2 marks. A few students just wrote $75 \%$ or $3 / 4$ which did not gain any credit. A surprising number of students did not connect the stated values with their positions within the data set so were unable to recognise that they needed to work with $3 / 4$ of the 80 girls. Common incorrect methods included $157-$ $133=24,4 / 5 \times 80=64$ and $24 / 37 \times 80$.

Q9.
Nearly all students attempted to draw a box plot but a sizeable minority of them plotted all the values given in the table rather than realise that they needed to calculate the value of the upper quartile by adding the interquartile range to the lower quartile. As a result many students restricted the number of marks gained to one.

## Q10.

Part (a) required the candidates to draw an accurate box plot from the given data. There were very few non attempts and nearly all candidates, managed to score at least a mark for two correct values drawn with a box or whiskers. The majority managed to have the maximum and minimum values in the correct places, although the UQ and LQ values proved challenging to many.

In part (b), many candidates stated values without comparative statements thus losing marks. Those that used the word mean instead of median also lost that mark although 'average' was acceptable. Quite a few commented on the oldest and youngest members of women/men without any mention of range. Others stated that there were 'more older men than women' attending the tennis club, losing the mark as there is nothing to suggest the quantities of men at the club

## Q11.

In part (a) most scored full marks.
In part (b) there were some trivial comparisons, but most candidates were able to gain a single mark from comparing the median or IQR. To gain full marks at least one of these needed to be expressed in terms of the context of the question, making reference to the money. Simply listing the values for the measures is not comparative and should be discouraged.

## Q12.

In part (a), it was common for candidates to draw a box plot with the correct minimum and maximum values. The median was correct more often than the lower and upper quartiles.
In part (b), it was common to see very general comments rather than comments comparing the medians and the ranges or interquartile ranges. Specific mathematical language should be used. Many responses
compared numbers from within the datasets rather than comparing the distributions, eg 'the median at Rose's was 25 and at Green's it was 21' should be presented as 'the median at Rose's was higher'. Some candidates used incorrect terminology, eg the word 'average' instead of 'median' for comparisons, so did not gain the mark.
Q13.
Very few candidates failed to construct an accurate box plot showing the given information in part (a). Some failed to draw a box whilst a minority showed all 5 pieces of information in a box.

Part (b) was very much less well done. Many candidates clearly appear not to understand the meaning of quartiles in the context of a problem and failed to grasp that they had to find $3 / 4$ of the data. The most common incorrect approach was to try to use the Weight values as frequency values.
For example $6.5-2.8=3.7$

## Mark Scheme

Q1.


Q2.

| Question | Answer | Mark | Mark scheme | Additional guidance |
| :--- | :--- | :--- | :--- | :--- |
| Changes | C1 | C1 | plot the median at 162, not 161 oe <br> plot the upper quartile at 171, not 172 oe <br> Acceptable examples <br> the median has been plotted at $161 /$ upper quartile at <br> 172 <br> the upper quartile should be 171 (not 172) <br> UQ is wrong as IQR is 17 not 18 <br> Not acceptable examples <br> the median / upper quartile have been plotted / drawn <br> wrong <br> the upper quartile has been worked out incorrectly <br> She needs to work out the UQ |  |

Q3.

| Question | Answer | Mark | Mark scheme | Additional guidance |
| :---: | :---: | :---: | :---: | :---: |
| (a) | box plot drawn | B1 | ends of whiskers at 0 and 42 with a box | The box can be of any height. Accept ends that are marked (eg line, cross, dot) or defined by the end of the whiskers if clear. |
|  |  | B1 | median at 10 inside a box for ends of box at 4 and 20 | Has to be inside a box; whiskers not required An independent mark that can be awarded for just a box; do not need whiskers for this mark. |
| (b) | Comparison | C1 | for a correct comparison of medians, eg. the median delay time on Mon was greater than the median delay time on Tues. or ft (a) | Simply quoting values for median, range and IQR is insufficient, they must be compared |
|  |  | C1 | for a correct comparison of a measure of spread, eg. the interquartile range (range) of delay times on Mon was greater than the interquartile range (range) of delay times on Tues. or ft (a) <br> For the award of both marks at least one of the comparisons must be in context | Comparisons can relate to the median, and then either the range or the IQR. |
| (c) | statement | C1 | 'No' with statement explaining that there might not be any delays between 25 minutes and 30 minutes as in the upper $25 \%$ ( 12 trains) the delays may all be between 17 and 25 or 30 and 33 | The 'No' may be implied from their wording, and could be written next to the "?" The statement must mention (or imply) values above the $U Q$ of 17 |

Q4.


Q5.

| Question | Working |  |  | Answer | Mark | Notes |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| * |  | M | F | Compare: medians and spread | 3 | C1 for any correct comparison of the medians C 1 for any correct comparison of the IQRs or range <br> C 1 for a comparison of medians, IQRs or ranges written in context |
|  | Median | 40 | 40 |  |  |  |
|  | Range | 90 | 106 |  |  |  |
|  | IQR | 31 | 42 |  |  |  |

Q6.
5MB1H 01

| Question | Working | Answer | Mark | Notes |
| :--- | :---: | :---: | :---: | :---: | :--- |
|  | (a)(i) | 11,22 | 3 | B3 for all of. median 11 drawn, greatest number 22 drawn, smallest <br> number 3 in table, upper quartile 17 in table |
| (ii) | 3,17 |  | (B2 for 3 correct, B1 for 2 correct) |  |
| (b) | 45 | 2 | M1 for $0.75 \times 60$ or $60-0.25 \times 60$ oe or 15 seen (may be seen in <br> diagram) <br> A1 cao |  |

Q7.

|  |  | Working | Answer | Mark | Notes |
| :--- | :--- | :--- | :---: | :---: | :--- |
|  |  |  | Box plot drawn | 3 | B3 for fully correct box plot <br> (B2 for 3 correctly plotted values <br> including box and tails) <br> (B1 for 2 correctly plotted values <br> including box or tails) |

Q8.

| Question | Answer | Mark | Mark scheme | Additional guidance |
| :---: | :---: | :---: | :---: | :---: |
| (a) | Box plot drawn | B3 | for a fully correct box plot | Condone the lack of a vertical marker at the end of the tails |
|  |  | (B2 | for at least 3 correctly plotted values including box and whiskers/tails ) | Note that a box must be present, as must "tails" |
|  |  | (B1 | for at least 2 correctly plotted values including box or whiskers/tails or 5 correct values plotted or clearly identified and no box or whiskers/tails ) |  |
| (b) | 60 | M1 | for a method to find $3 / 4$ of 80 eg $20+20+20$ or $3 / 4 \times 80$ |  |
|  |  | A1 | cao |  |

Q9.

| 5MB1H_01 November 2015 |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Question | Working | Answer | Mark | Notes |
|  |  | Box plot | 3 | M 1 for $\mathrm{UQ}=1.7+2.7(=4.4)$ or 4.4 shown on box plot <br> B1 for box plot with at least 3 pieces of information correctly plotted <br> B1 for fully correct box plot <br> NB: there must be a box |

Q10.

| 5MB1H_01 |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Question | Working | Answer | Mark | Notes |
| (a) | $\begin{aligned} & \text { Lowest }=16 \mathrm{LQ}=20 \\ & \text { Median }=28 \\ & \mathrm{UQ}=42 \text { Highest }=50 \end{aligned}$ | Box plot drawn | 3 | B3 for fully correct box plot (B2 for at least 3 correctly plotted values including box and whiskers/tails) (B1 for at least 2 correctly plotted values including box or whiskers/tails or 5 correct values plotted and no box or whiskers/tails) |
| (b) |  |  | 2 | C 2 ft for two relevant comparisons one for median/average and one for $I Q R$ or range (C1ft for one relevant comparison) ie IQR or range or use of median for comparison |

Q11.

|  | Working | Answer | Mark | Notes |
| :---: | :---: | :---: | :---: | :---: |
| (a) |  | Box plot overlay | 2 | M1 for a box drawn with at least 2 correct points from LQ, Med and UQ A1 for a fully correct box plot |
| (b) |  | Comparison of a measure of spread plus a comparison of medians (in context) | 2 | B1 for a correct comparison of a measure of spread (using either range or iqr) <br> B1 for a correct comparison of medians <br> For the award of both marks at least one of the comparisons made must be in the context of the question. |

Q12.


Q13.

| Question | Working | Answer | Mark | Notes |
| :---: | :---: | :---: | :---: | :---: | :--- |
| (a) |  | Box plot | 2 | B2 for correct box plot <br> (B1 for box plot with at least 3 <br> pieces of information correctly <br> plotted) <br> Note: There must be a box |
| (b) | $75 \% \times 60$ | 45 | 2 | M1 for $0.75 \times 60$ oe <br> A1 cao <br> [SC: B1 for an answer of 15 if M0 <br> scored $]$ |

